Real-Time Active Shape Models for Segmentation of 3D Cardiac Ultrasound

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Background and aim

Background

- Rapid global function
- Intraoperative monitoring/ trending
- Lack of real-time 3D segmentation methods

Aim

• Real-time 3D segmentation of left ventricle.







3D Ultrasound data

Characteristics

- Displayed in real-time
- 15-20 frames/sec
- ECG-gating over 4 heartbeats

Challenges:

 Shadows, drop-outs, noise, speckle, reverberations.





Previous work

Traditional deformable models

- Level sets, simplex mesh, FEM, statistical shape models
- May require hundreds of iterations
- Not suitable for real-time operation

Kalman filter based methods

- Single iteration Ideal for real-time operation
- Blake, Jacob, Comaniciu: 2D contours
- Orderud: 3D rigid ellipsoid model
 - Fast, not physiologically realistic.
- Orderud: 3D deformable spline model
 - Better regional accuracy, not limited to physiologically realistic shapes.





Kalman filter based segmentation

- Parametric deformable model, e.g. spline model, active shape model
- Segmentation as *estimation*
 - Sequential state estimation techniques to track the model parameters
 - Computational efficient algorithms, e.g. Kalmanfilter







Processing overview

For each frame:

- Predict contour shape and position, using a kinematic model for each model parameter
- *Measure* edges in proximity of predicted surface
- Use measurements to correct prediction



Three-step process for each frame.

Glhfw#Earvhg#irup # vroxwirq#qvwhdg#ri# Whudwlyh#hilqhp hqw\$



Deformable model (1/2)

3D active shape model (ASM)

Linear model consisting of:

- Average shape $ar{\mathbf{q}}_i$
- Deformation modes **A**_i

Built by PCA on training set Shape controlled by state \mathbf{x}_{I}

$$\mathbf{q}_i(\mathbf{x}_l) = \bar{\mathbf{q}}_i + \mathbf{A}_i \mathbf{x}_l$$

20 states explains 98% of variation in training set (31 patients).

Assume deformation in normal direction n_i to reduce computational cost to 1/3.

$$\mathbf{q}_i(\mathbf{x}_l) = ar{\mathbf{q}}_i + ar{\mathbf{n}}_i \cdot \mathbf{A}_i^{\perp} \mathbf{x}_l$$





Deformable model (2/2)

Local transformation

Deformation + Interpolation

$$\mathbf{p}_l(\mathbf{x}_l) = \left. \mathbf{T}_l(\mathbf{q}, \mathbf{x}_l) \right|_{(u,v)}$$

Global transformations Rotation + Scaling + Position

 $\mathbf{p}(\mathbf{x}) = \mathbf{T}_{\mathrm{g}}(\mathbf{p}_{\mathrm{l}}(\mathbf{x}_{\mathrm{l}}), \mathbf{x}_{\mathrm{g}})$

Combined state vector

 $\mathbf{x} = (\mathbf{x}_l, \mathbf{x}_q)$







Local edge detection

- Perform edge detection in normal direction of surface.
- Use *normal displacement* from predicted to measured surface
- Detected edge maximizes intensity transition





Experiments

Setup

Reference: Manually verified surfaces from off-line semiautomated tool, (N=21)

ASM trained on separate population (N=31)

Machine: 2.16 GHz Intel Core 2 Duo.

Initialization

- Average shape/fixed position.
- Track for a couple of cycles to get lock.

Key parameters

- End diastolic volume (EDV)
- End systolic volume (ESV)
- Ejection fraction (EF)

$$EF = \frac{(EDV - ESV)}{EDV} \cdot 100$$



Initialization





Examples (1/2)







Examples (2/2)





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Results

2.2 ±1.1 mm point-to-surface error

Good agreement in volumes and EF

22% CPU load (video rate)

Difference (mean ± 1.96 SD)

Correlation coeff. (r)



* Significantly different from 0, p < 0.05.

Discussion

- Real-time
- Physiologically realistic surfaces
- No user input
- Robust to ultrasound artifacts

- Manual correction difficult
- Missing data problematic
 - Narrow imaging sector
 - Drop-outs





Conclusion

We have developed a fully automatic algorithm for real-time segmentation of the left ventricle in 3D cardiac ultrasound.

Initial evaluation is promising. A larger scale trial is required to evaluate clinical potential.





THANKS!

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Measurement sequence

- 1. Create contour template.
- 2. Calculate deformed contour, and associated Jacobi matrix based on predicted state.
- 3. Measure *normal displacements* based on deformed contour.







Kalman Filter Implementation

Using an *extended* Kalman filter for tracking

- Enables usage of nonlinear deformation models.
- Linearizes model around predicted state.

Kinematic prediction

- Augment state vector to contain state from last two successive frames.
- Models motion, in addition to state/position

Measurement update in information space

- Assumption of independent measurements allow efficient implementation
- Create information-vector and -matrix from measurements
- Use information filter formulation of Kalman filter for measurement update.



Examples (3/2)



